

## I can model populations using exponential growth and decay equations

Uninhibited Growth Model:

$$N(t) = N_0 e^{kt}, k > 0$$

Define each piece of the equation below:

 $N_0$  : $k$  : $t$  :

The number  $N$  of bacteria present in a culture at time  $t$  (in hours) obeys the equation

$$N = 1000e^{0.01t}$$

- a) After how many hours will the population equal 1500?  
 b) Using a graphing utility, graph the relation between  $N$  and  $t$ . Verify your answer in (a) using INTERSECT.

Uninhibited Decay Model:

$$A = A_0 e^{kt}, k < 0$$

Define each piece of the equation below:

 $A_0$  : $k$  : $t$  :

Iodine-131 is a radioactive material that decays according to the equation  $A = A_0 e^{-0.087t}$ , where  $A_0$  is the initial amount present and  $A$  is the amount present at time  $t$  (in days). What is the **half-life** of iodine-131?

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